

Diversification of dispersal rates in variable environments

François Massol

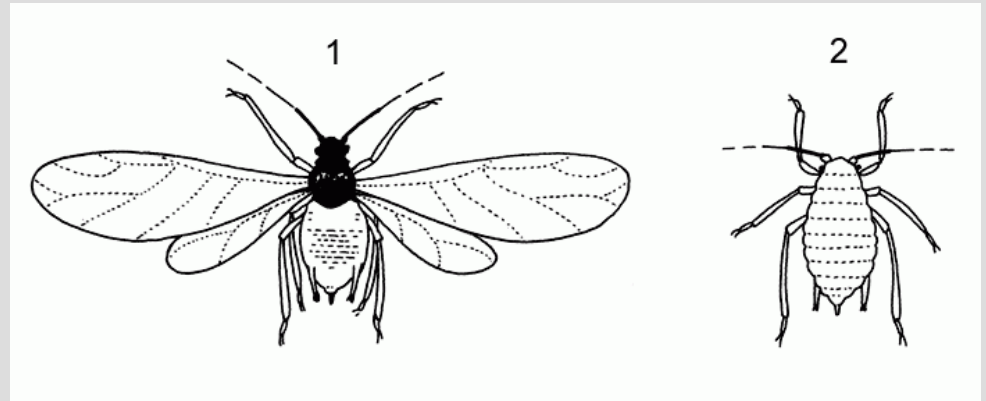
Décembre 2016 – Journée Maths-Bio Dauphine

What is dispersal?

Dispersal =

- Any movement of individuals or propagules contributing to gene flow
- Reproducing away from birth place
- (zool.) movement between successive breeding sites
- (bota.) movement of seeds or pollen

Variability of dispersal *in natura*



Koppert



Photo : P. Goujon



Photo : S. Amn

Heritability of dispersal

Heredity (2008) 100, 39–46

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ORIGINAL ARTICLE

Heritability of dispersal rate and other life history traits in the Glanville fritillary butterfly

M Saastamoinen

Department of Biological and Environmental Sciences, University of Helsinki, Helsinki, Finland

JOURNAL OF Evolutionary Biology



doi: 10.1111/j.1420-9101.2011.02281.x

Heritability of short-scale natal dispersal in a large-scale foraging bird, the wandering albatross

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‡Centre d'Etudes Biologiques de Chizé, CNRS-UPR1934, Villiers en Bois, France

Selective pressures on dispersal

Pros

Avoid inbreeding

Kin competition

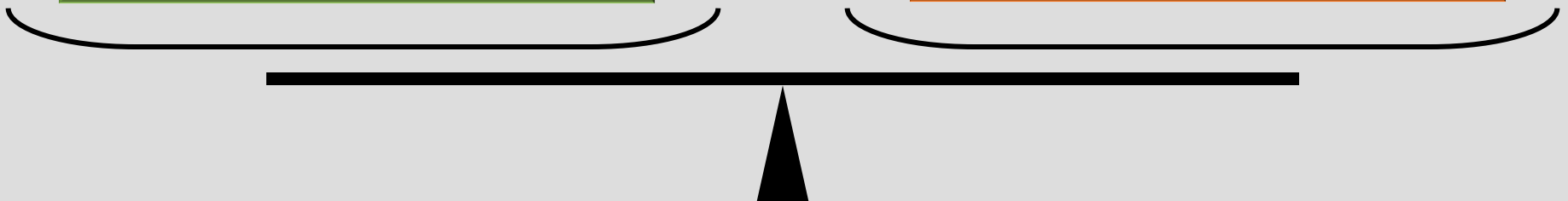
Oscillating / chaotic
population dynamics

Environmental
variability

Cons

Environmental
heterogeneity

Cost of dispersal



Selective pressures on dispersal

Pros

Avoid inbreeding

Kin competition

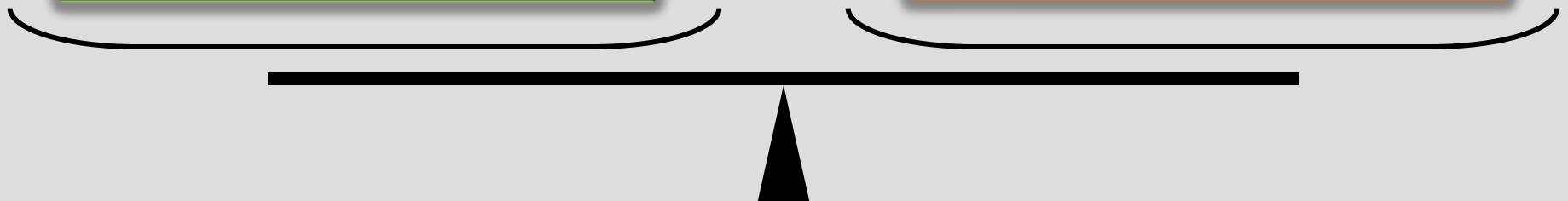
Oscillating / chaotic
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Environmental
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Cost of dispersal



Kin competition

- Hamilton's rule (1964) :

Selection gradient = direct effect + r * kin effect

where r is relatedness/kinship

- Theoretical predictions:

dispersal = prevents related offspring from competing with one another

- With some precisions:

- Iteroparity or overlapping generations => higher relatedness => stronger selection for dispersal
- Mother or offspring-controlled dispersal => different predictions (because relatedness is different)

Cost(s) of dispersal

- Selects for less dispersal
- Direct costs: can intervene at different life stages / different times of the life cycle
- Different types of direct costs (energy, opportunity, time, risk)

Heterogeneity and variability

- Environments are temporally variable
 - organisms experience temporally variable habitats
 - geometric average -> sensitivity to “lows”
 - selects for more dispersal
- Environments are spatially heterogeneous
 - dispersing allows for different habitats among siblings
 - dispersal bias from good to bad habitats
 - selects for less dispersal

Selection (on dispersal)

- Directional selection (= not at equilibrium)
- Stabilizing selection (= ESS)
- Disruptive selection (= branching point)

Questions / Outline

1. What is the effect of heterogeneity of population densities on the evolution of dispersal?
2. What is the effect of temporal changes in patch quality on the evolution of dispersal?

Common theme:

conditions of disruptive selection

Adaptive dynamics

Assumptions:

- phenotypic gambit

“The phenotypic gambit is to examine the evolutionary basis of a character as if the very simplest genetic system controlled it: as if there were a haploid locus at which each distinct strategy was represented by a distinct allele, as if the payoff rule gave the number of offspring for each allele, and as if enough mutation occurred to allow each strategy the chance to invade.”

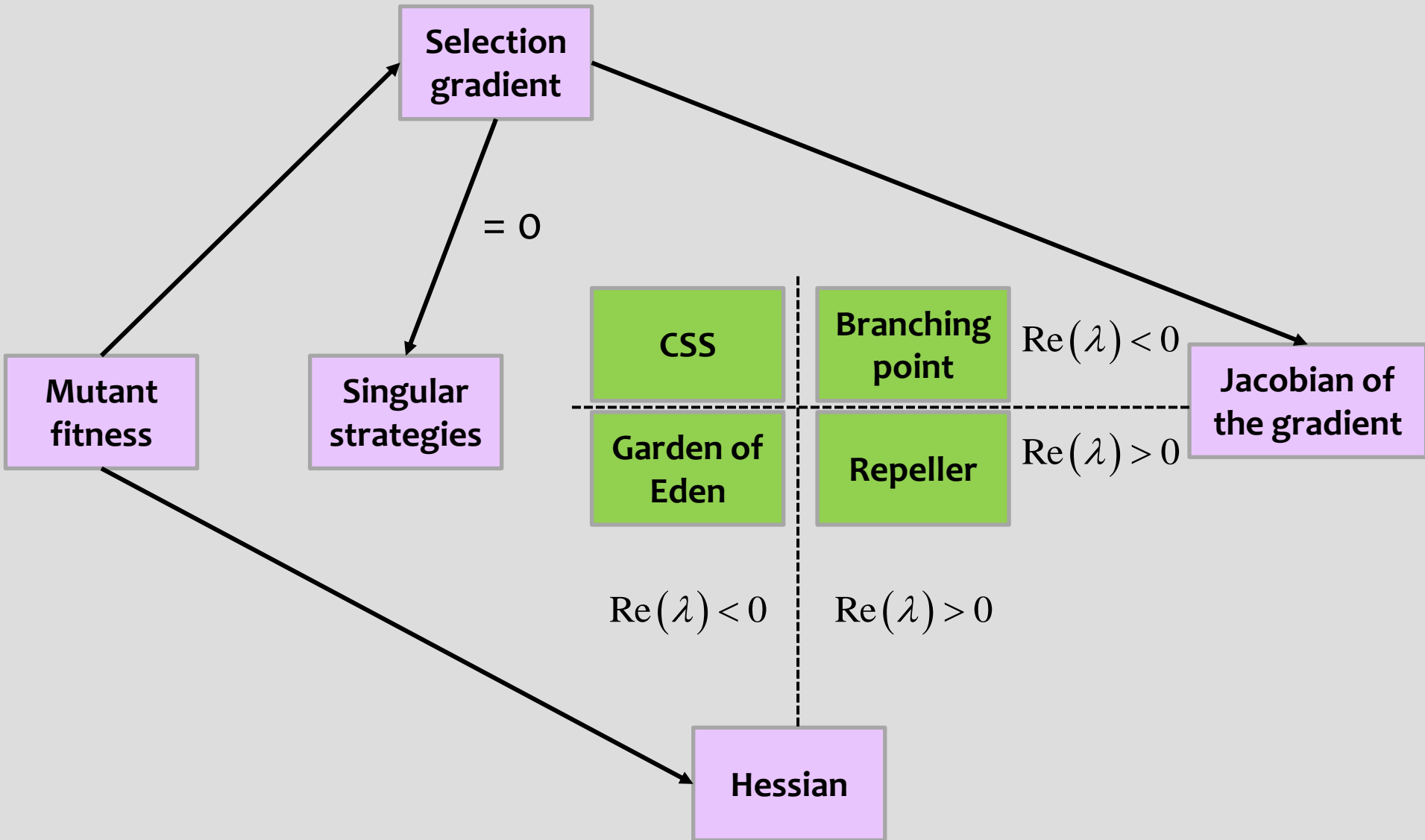
A. Grafen, *in* Krebs & Davies 1984

- rare mutations of small effects

Tools:

- expression for fitness (using matrices)
- selection gradient → convergence stability
- Hessian of mutant fitness → evolutionary stability

Methodology



ASYMMETRIC PATCH SIZE DISTRIBUTION LEADS TO DISRUPTIVE SELECTION ON DISPERSAL

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²*University of Texas at Austin, Section of Integrative Biology, Austin, TX 78712*

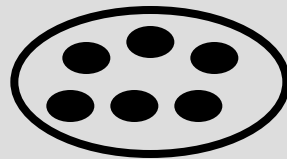
³*CEMAGREF – UR HYAX, 3275, route de Cézanne – Le Tholonet, CS 40061, 13182 Aix-en-Provence Cedex 5, France*

⁴*Centre Alpin de Recherche sur les Réseaux Trophiques des Écosystèmes Limniques (INRA), 75, avenue de Corzent-BP 511, 74203 Thonon-les-Bains Cedex, France*



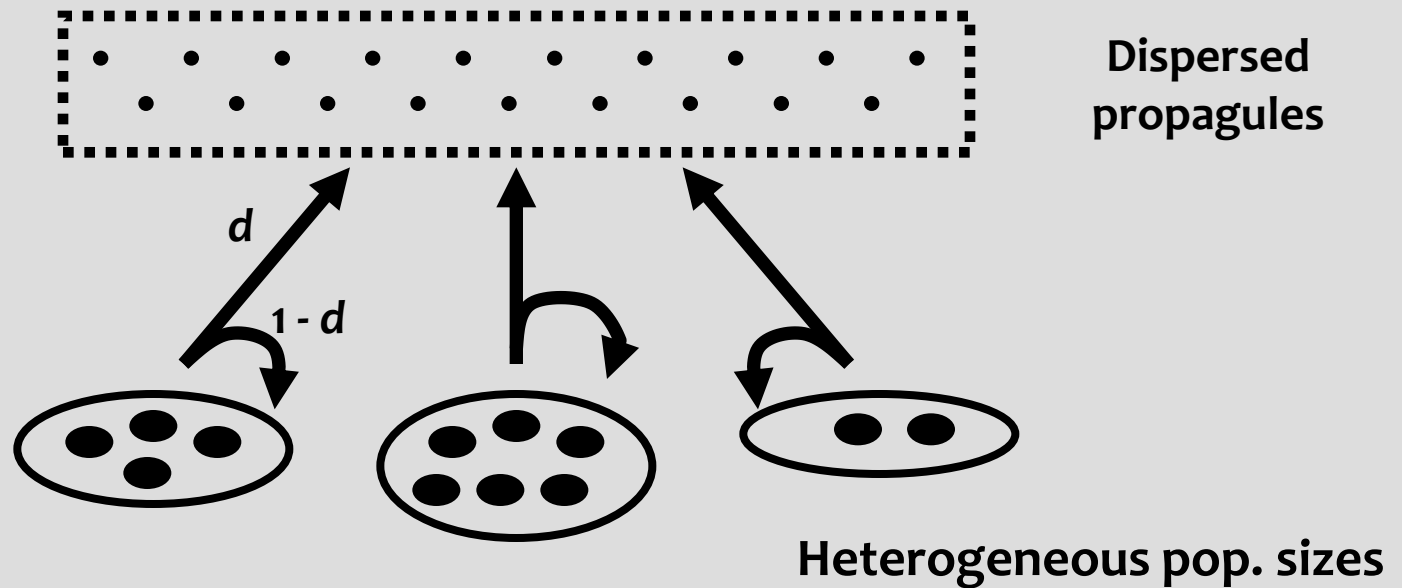
DISPERSAL AMONG POPULATIONS OF DIFFERENT DENSITY

A metapopulation model

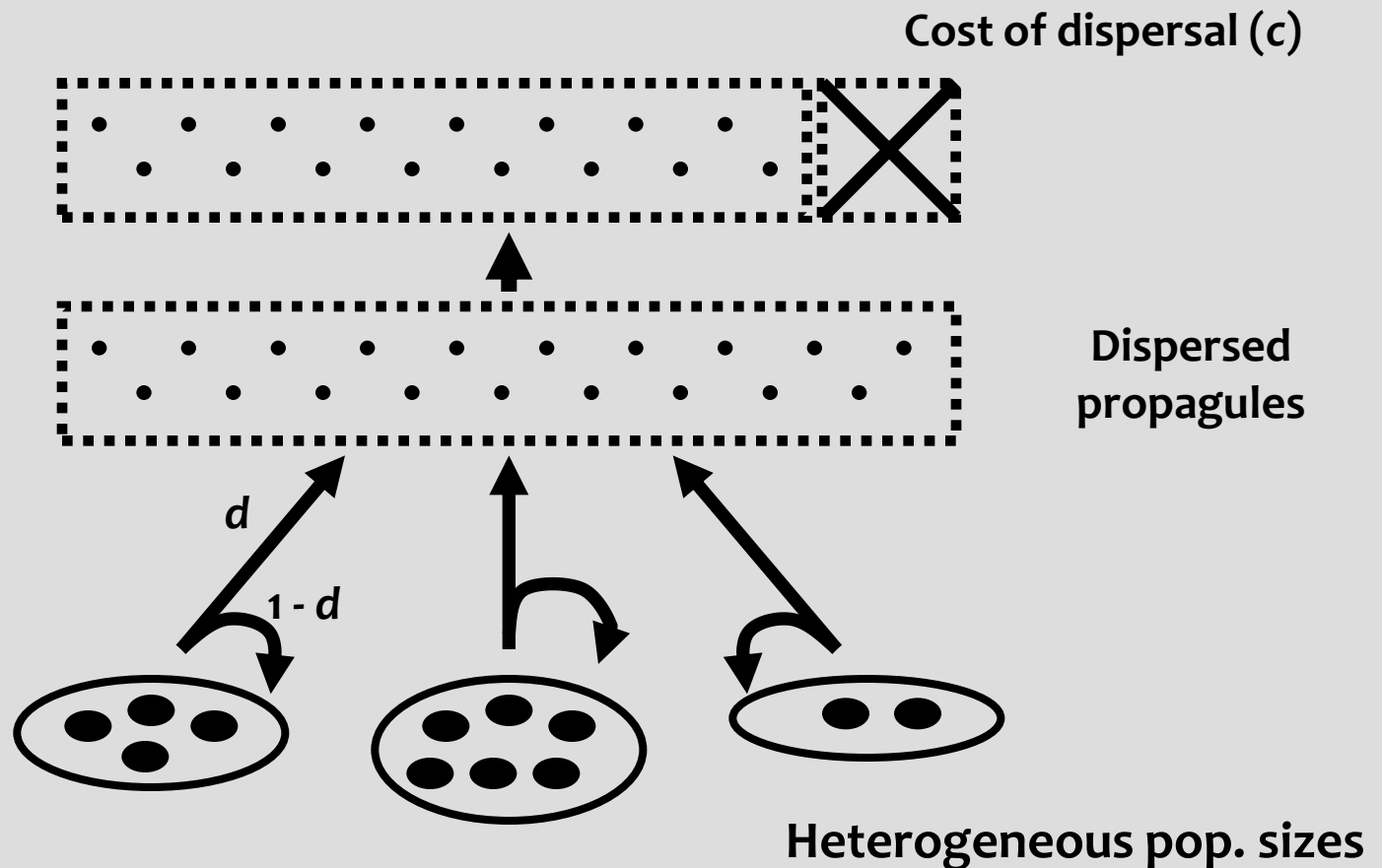


Heterogeneous pop. sizes

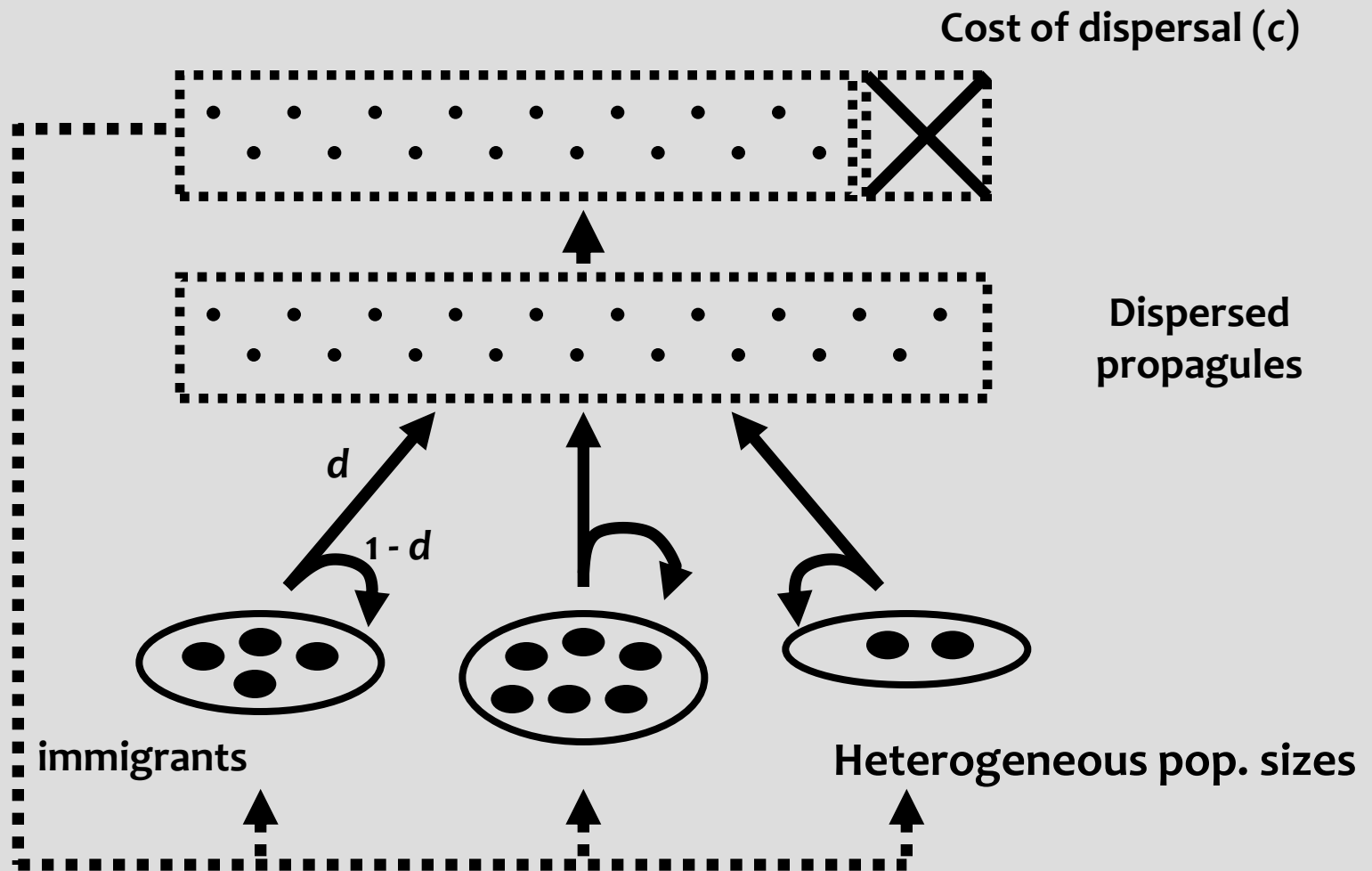
A metapopulation model



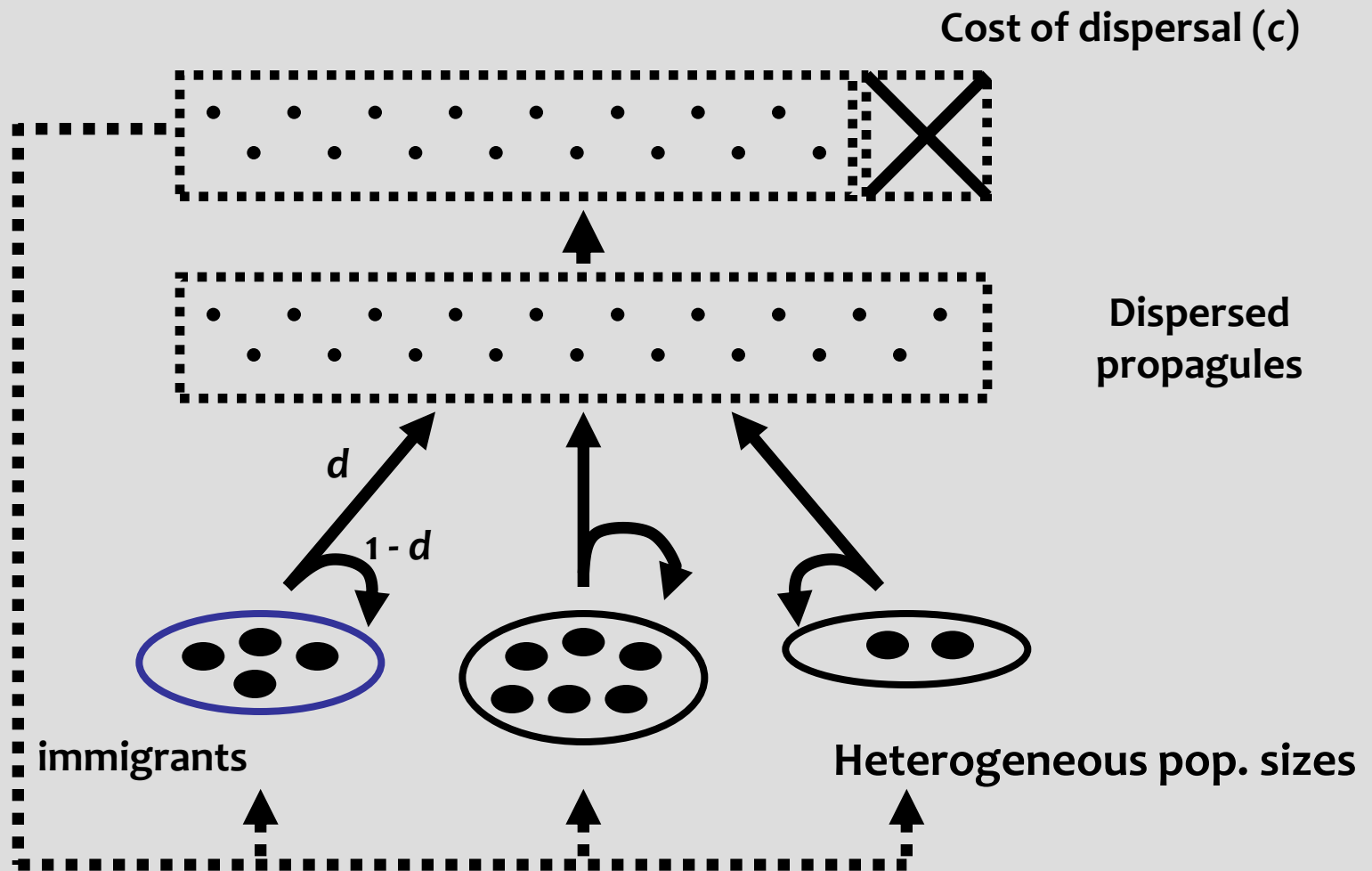
A metapopulation model



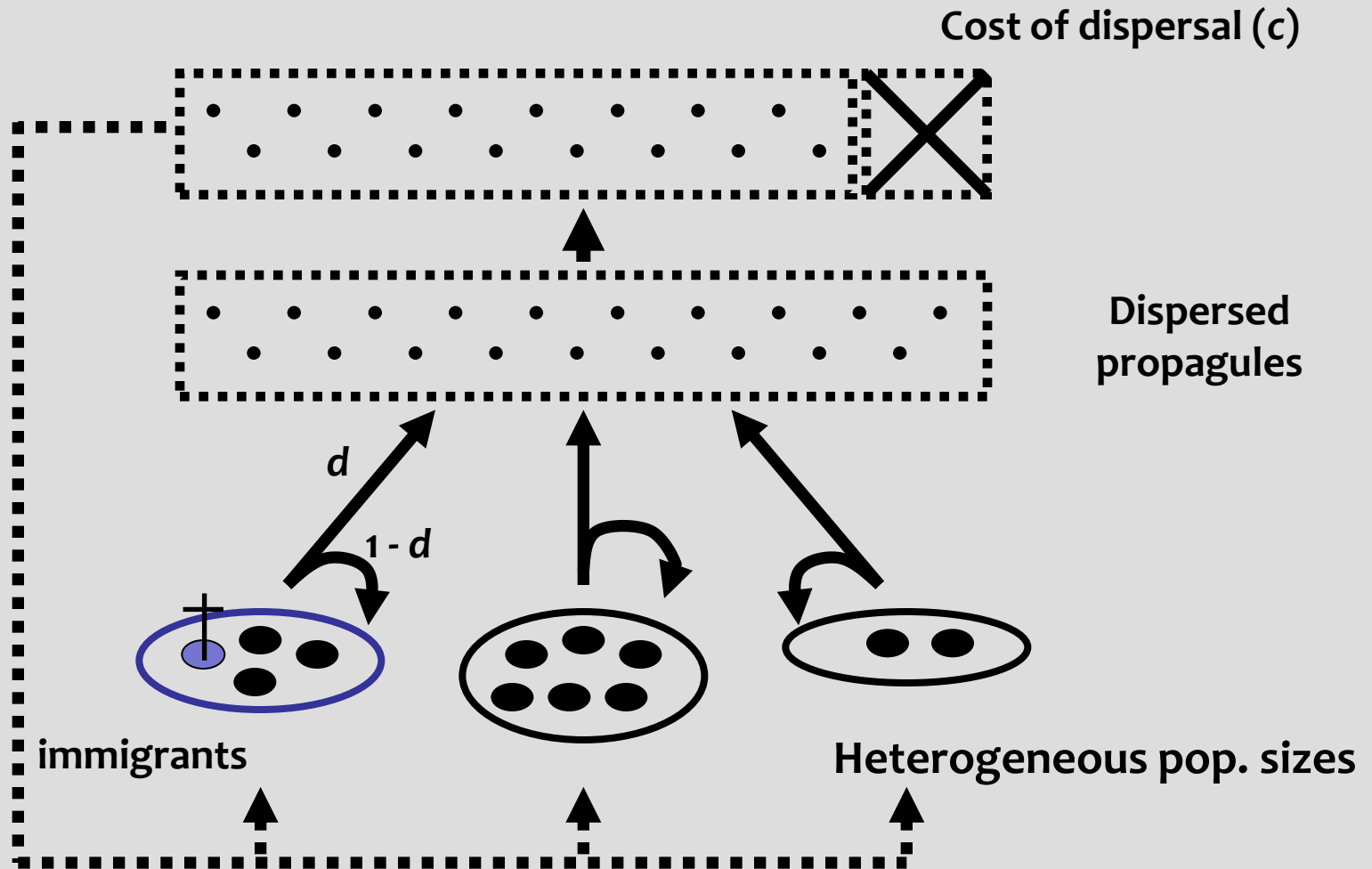
A metapopulation model



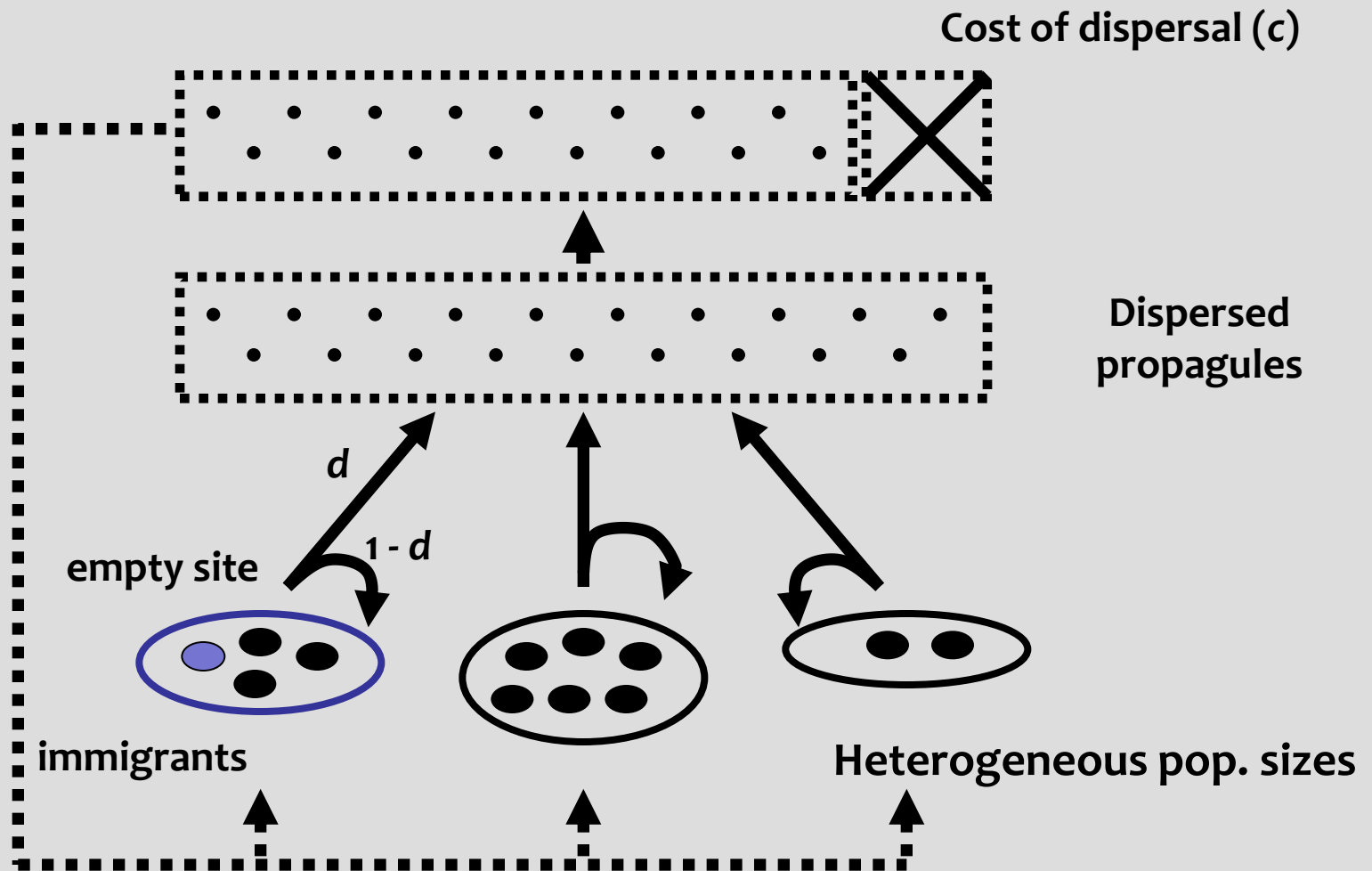
Births and Deaths



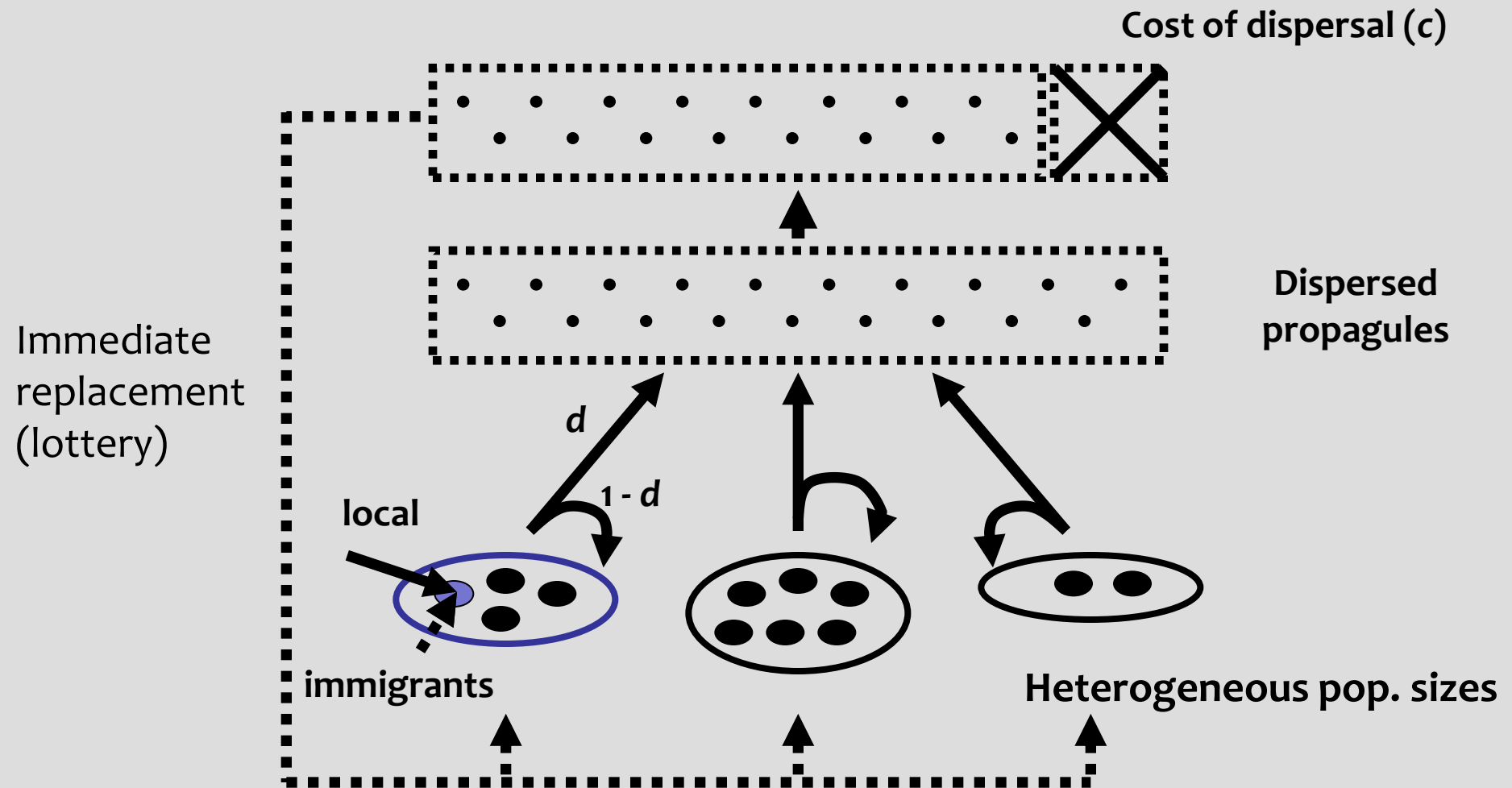
Births and Deaths



Births and Deaths



Births and Deaths



Methods

- Model analysis
 - Metapopulation fitness criterion (R_m , Metz & Gyllenberg 1992)
 - Adaptive dynamics assumptions (Hofbauer & Sigmund 1990)
- Confirmed with simulations
- Supplementary simulations: what if replacement is not immediate? (answer: nothing changes much)

Results: singular strategies

c cost of dispersal

\bar{K} average K

d dispersal

γ_2 CV^2 of K

$$d^* = \text{Min} \left[\frac{1}{(c + \gamma_2) \bar{K}}, 1 \right]$$

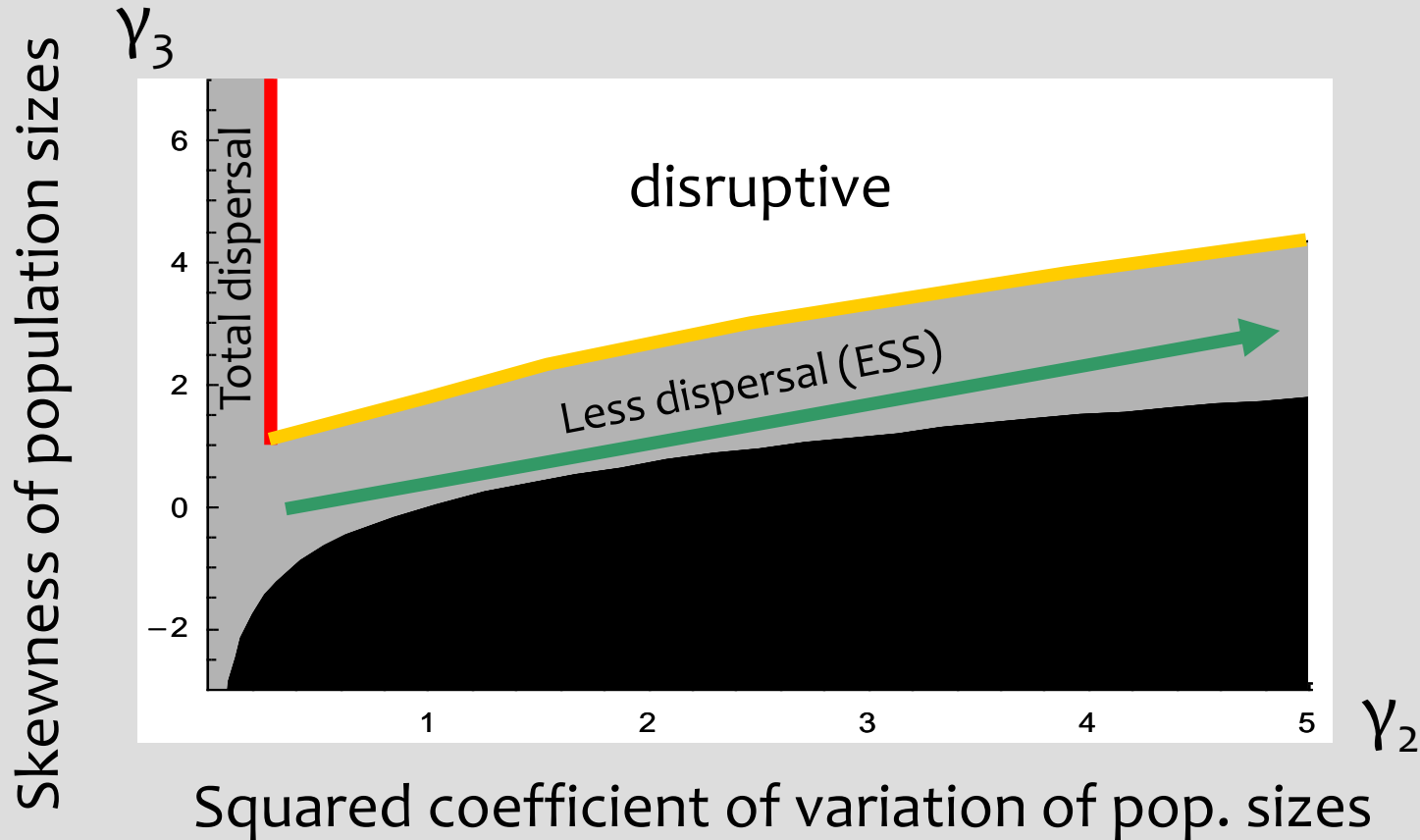
Cost of dispersal

Heterogeneity

Kin competition

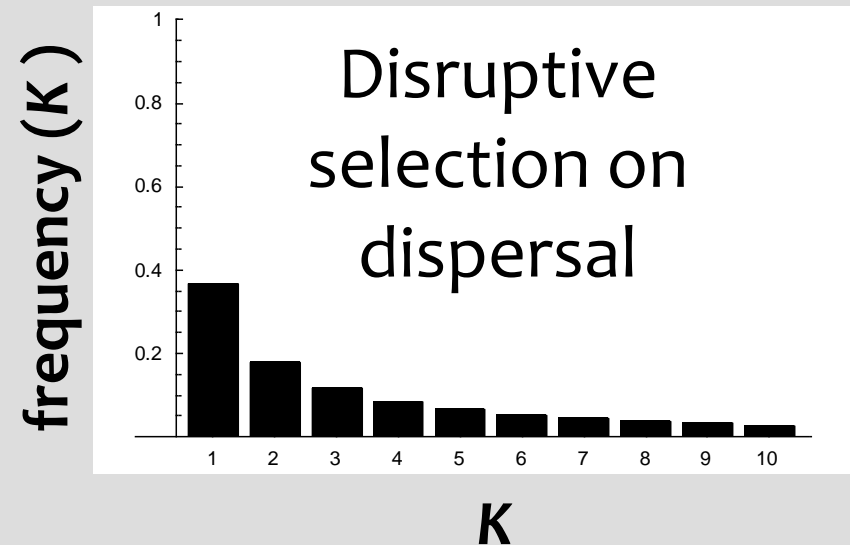
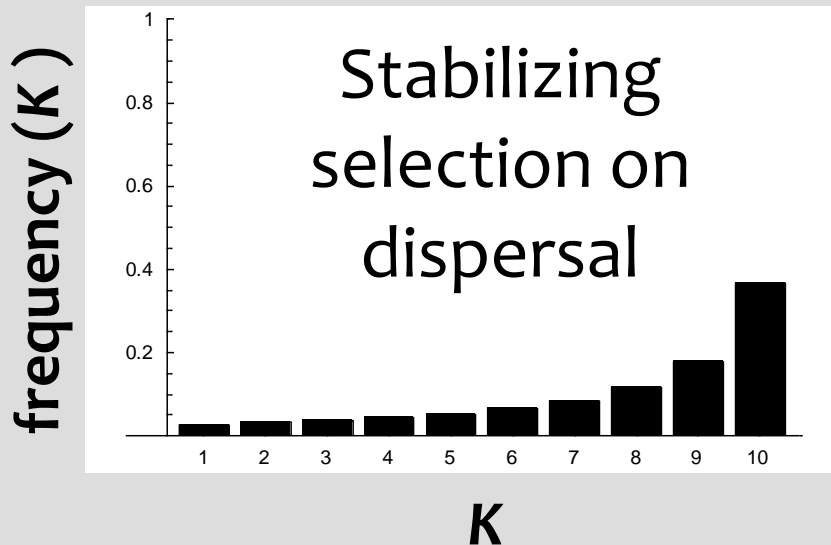
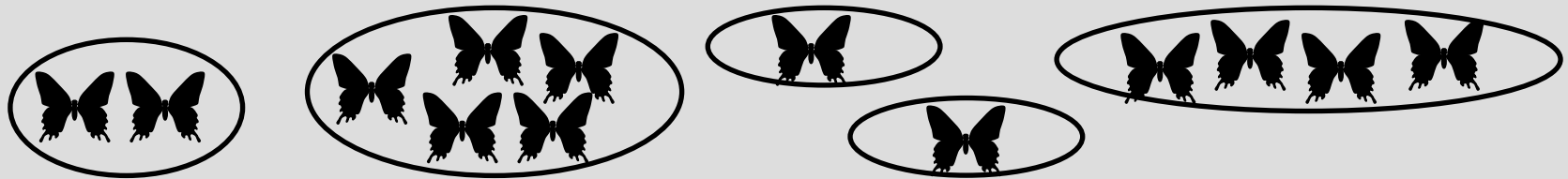
Results: evolutionary outcomes

$$\gamma_3 > 2\gamma_2^{1/2} + \frac{c\bar{K}-1}{\bar{K}}\gamma_2^{-1/2} + \frac{c(\bar{K}-1)}{\bar{K}}\gamma_2^{-3/2}$$



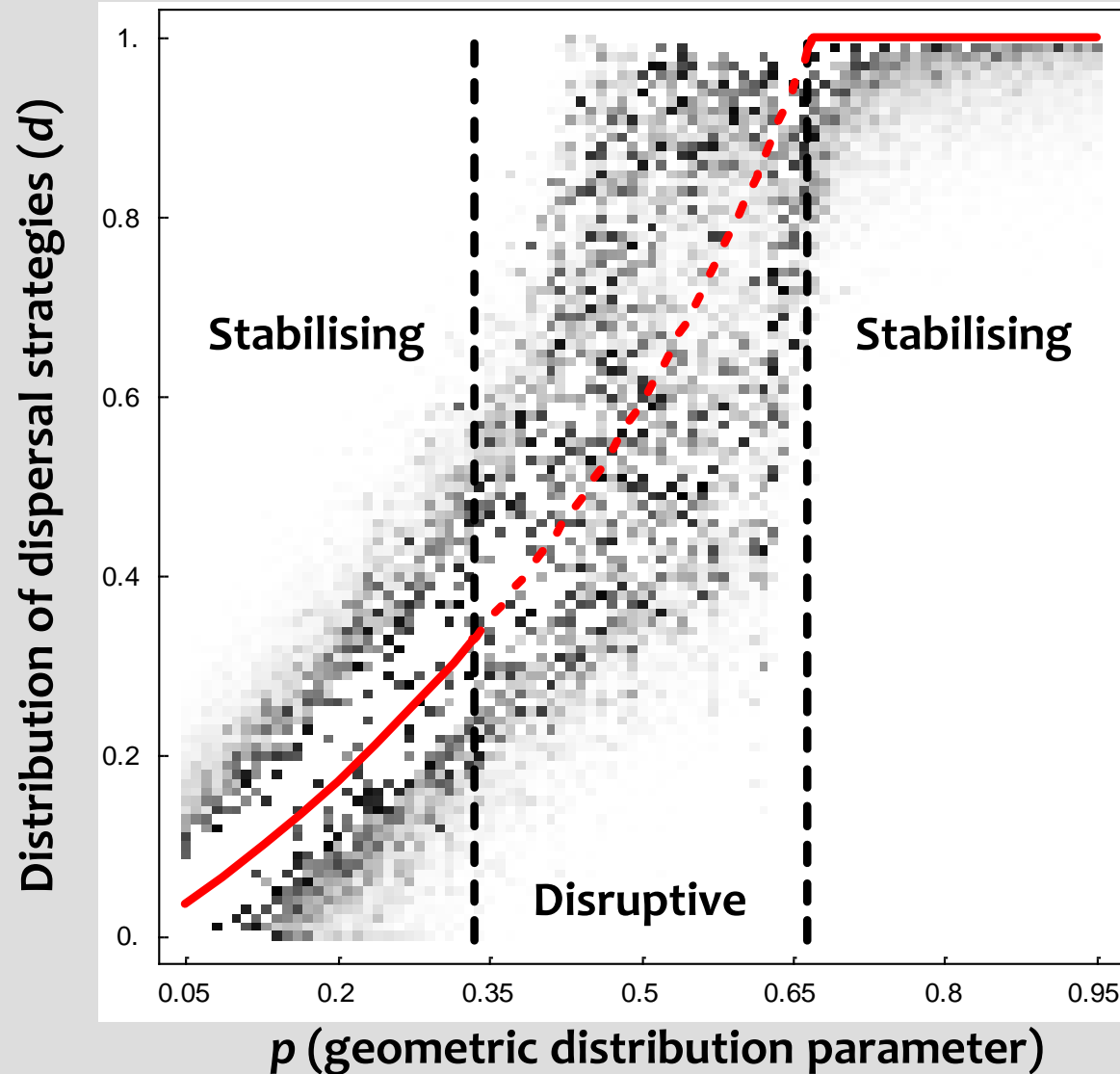
Results: predicting polymorphism

Interpretation:



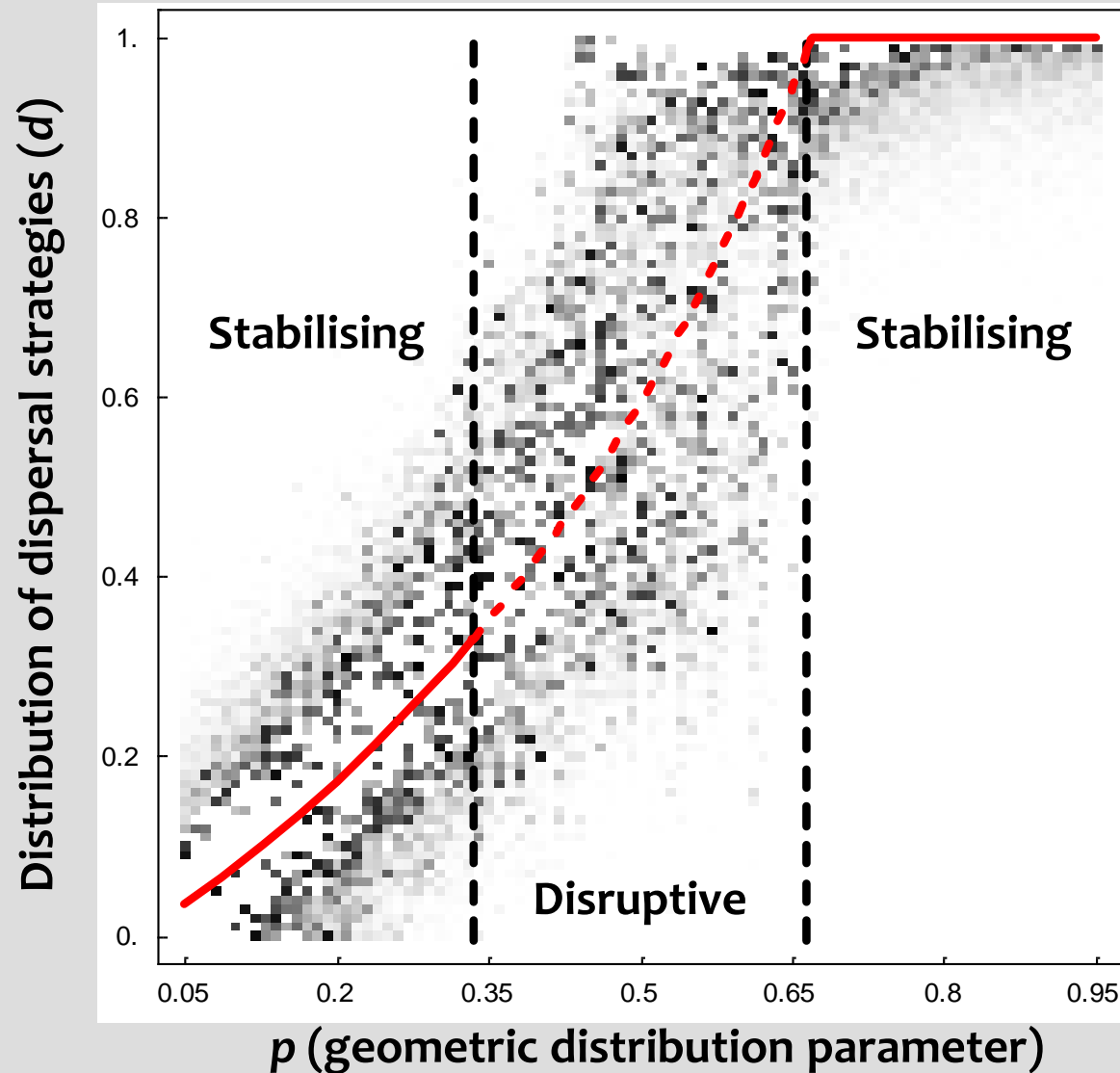
Results: simulations

without demographic stochasticity



Results: simulations

with demographic stochasticity



Results: what do data say?

Understanding what nature says

$$c_{max} = \frac{(\gamma_3 - 2\gamma_2^{1/2})\gamma_2^{3/2}}{1 + \gamma_2}$$

When $c_{max} > 1$, we're sure that our mechanism can create dispersal polymorphism

Results: what do data say?

| Data set | # patches | γ_2 | γ_3 | c_{\max} | prediction |
|--|-----------|------------|------------|------------|-------------|
| Ponds (Guadeloupe) | 274 | 1.7 | 4.5 | 1.5 | disruptive |
| Population in big cities (China) | 664 | 1.5 | 6.7 | 3.2 | disruptive |
| Dry meadows (Åland islands, Finland) | 4,109 | 7.3 | 11.1 | 13.5 | disruptive |
| Tuamotu archipelago (French Polynesia) | 118 | 10.7 | 8.1 | 4.7 | disruptive |
| Forest patches (Pennsylvania, USA) | 252 | 44.7 | 12.0 | -8.7 | stabilising |
| Svalbard islands (Norway) | 11 | 4.5 | 2.7 | -2.7 | stabilising |
| Coral reefs (Northern Florida Keys, USA) | 1,034 | 1.3 | 3.8 | 1.0 | disruptive |

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Conclusions

1. Steady state of dispersal = balance between direct cost, environmental heterogeneity and kin competition
2. Skewed population size distribution
→ disruptive selection on dispersal
3. Skewed distributions of proxies for pop. size are common in nature
4. Simplified criterion $c_{\max} > 1$ = test to validate the plausibility of our hypothesis
5. Few large and many small populations
= recipe for a better conservation of types that do and do not disperse



Evolution of dispersal in spatially and temporally variable environments: The importance of life cycles

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²E-mail: francois.massol@m4x.org

³Center for Interdisciplinary Research in Biology, Équipe Stochastic Models for the Inference of Life Evolution, Collège de France, 11 place Marcelin Berthelot, 75005 Paris, France



DISPERSAL AMONG PATCHES OF UNCERTAIN QUALITY

Massol (2013) *Ecological Complexity*, 16, 9-19

Massol & Débarre (2015) *Evolution*, 69, 1925-1937

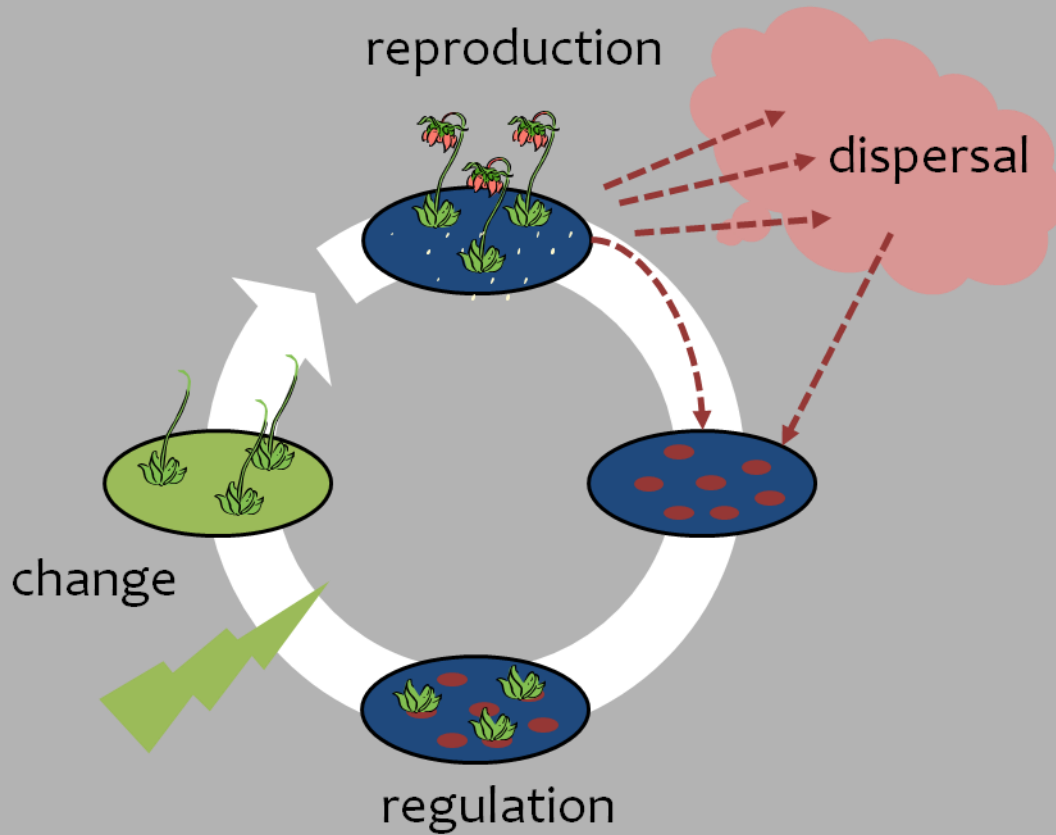
A general model

Massol (2013)

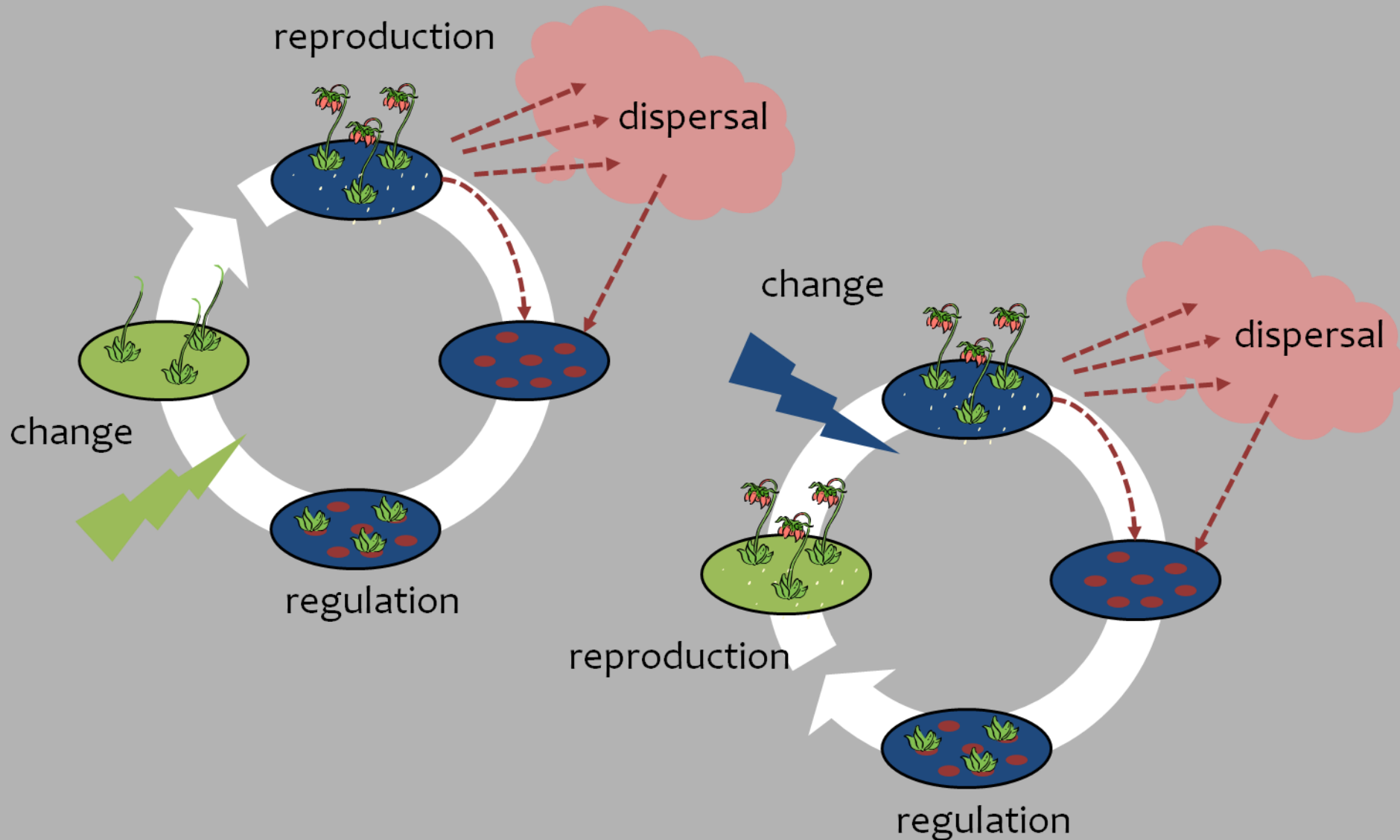
Ingredients:

- 2 patch types (1 & 2; affect fecundity through f_1 and f_2), infinity of patches
- 4 life cycle events: reproduction, dispersal, regulation & environmental change
- discrete, non-overlapping generations
- reproduction: result of local adaptation, not limiting
- regulation: local (but large populations)
- dispersal: global (no limitation by distance)

How does environmental state change?



How does environmental state change?



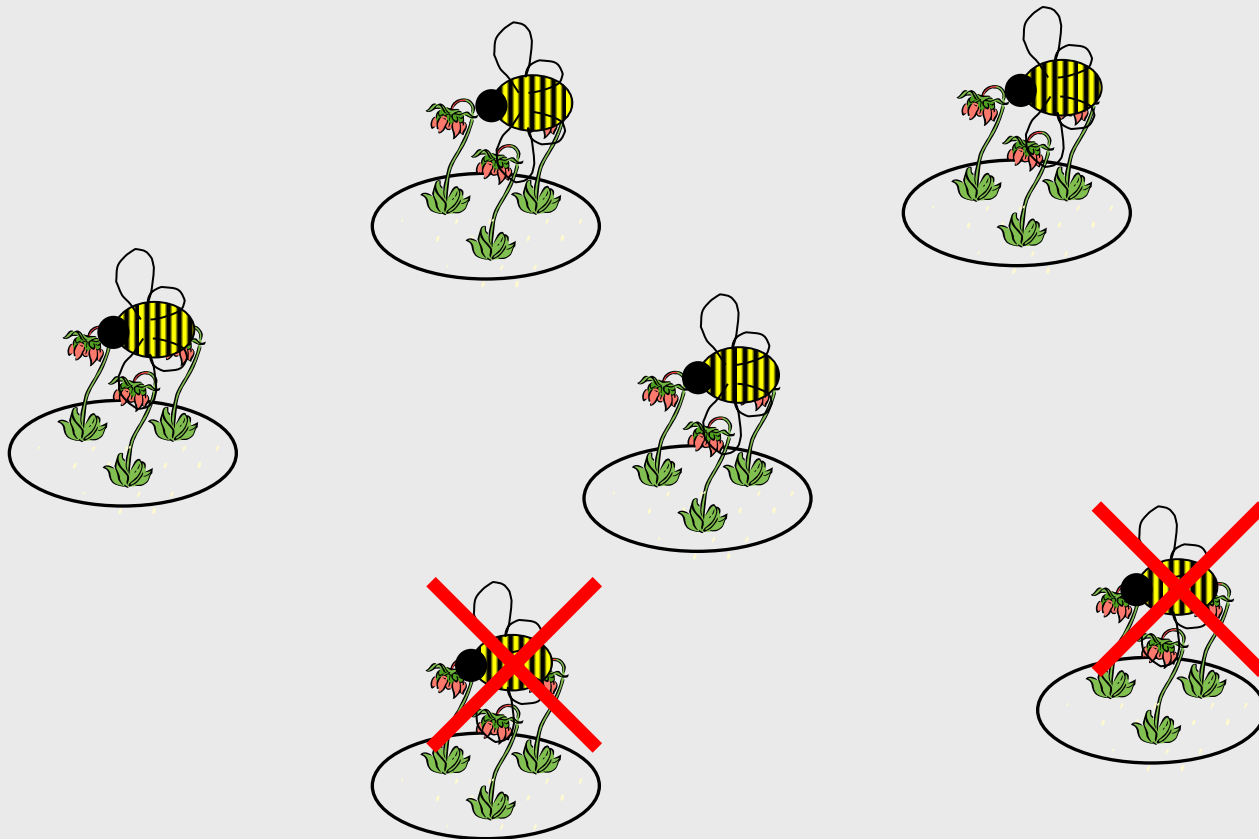
Life cycles

What if the order of events is different?

- selection gradient on dispersal rate may change direction when reproduction, dispersal and regulation happen in a different order (Johst & Brandl 1997)
- the order of reproduction, dispersal and regulation directly impact the evolution of local adaptation traits (Ravigné *et al.* 2004)

Measuring heterogeneity

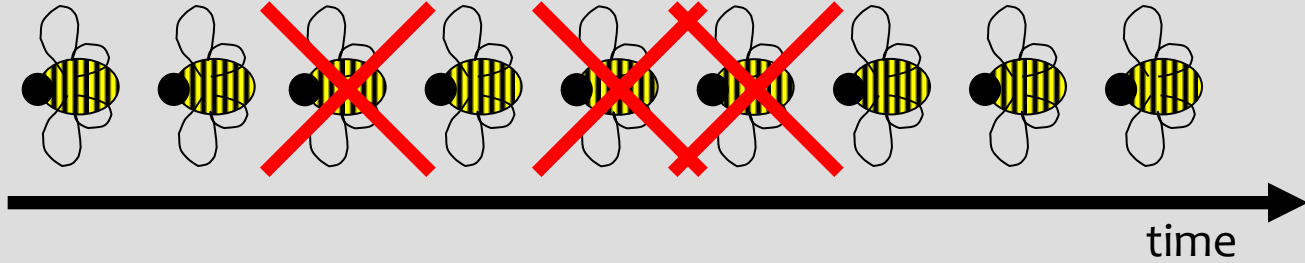
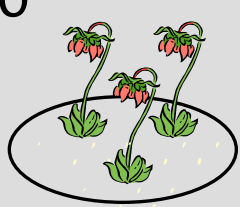
First-order measure: proportion of type 1 patch, ρ



Measuring variability

temporal autocorrelation in patch state, φ

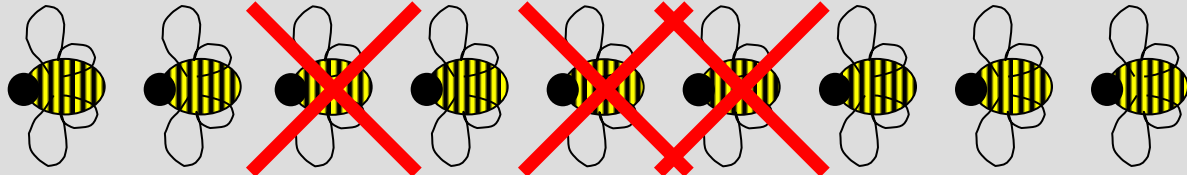
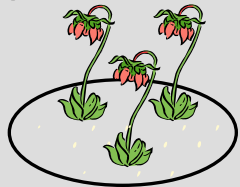
$$\varphi = 0$$



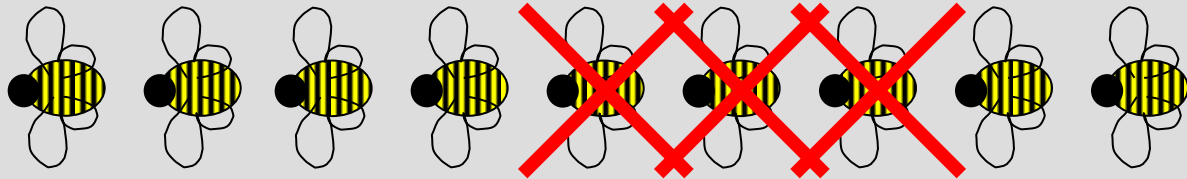
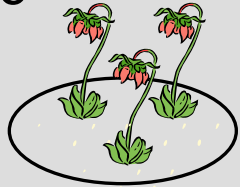
Measuring variability

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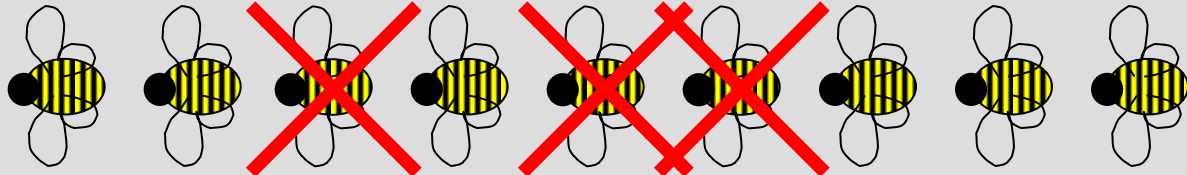
$\varphi > 0$



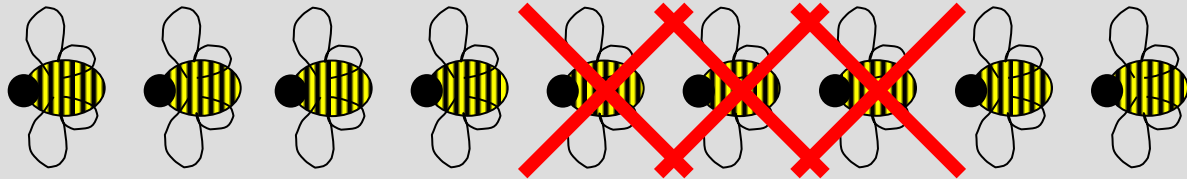
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temporal autocorrelation in patch state, φ

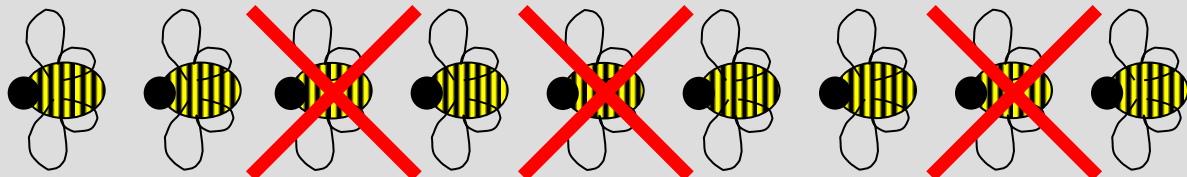
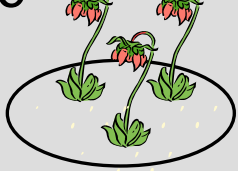
$\varphi = 0$



$\varphi > 0$



$\varphi < 0$



Heterogeneity and variability

Parameter reduction using

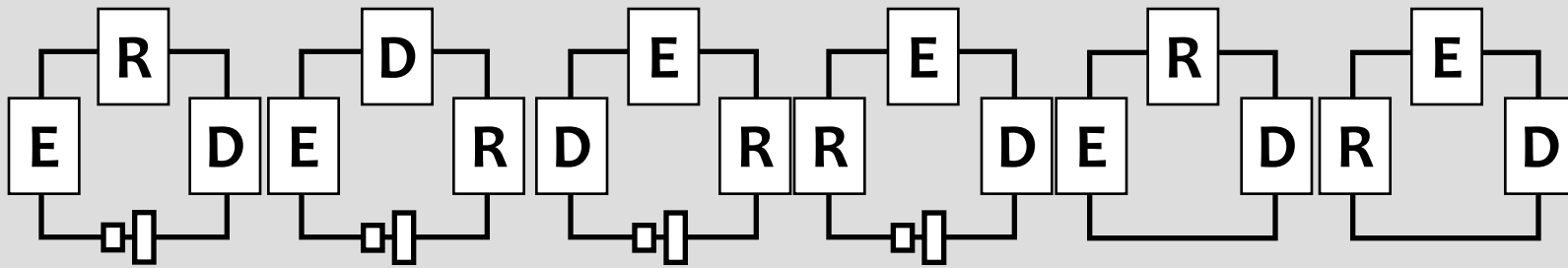
$$\beta = \frac{f_1 f_2}{\bar{f}^2} \quad \sim \text{comparison over two generations between dispersers and non-disperser lineages}$$

$$\gamma = \frac{\text{var}[f]}{\bar{f}^2} \quad \sim \text{coefficient of variation of fecundity}$$

Classification of life cycles

extended from Massol (2013)

Order of events



Ravigné et al.'s classification

Ravigné type 3

Levene soft selection regime

Ravigné type 3

Dempster hard selection regime

Modelling complexity

Simple life cycles

Complex life cycles

Simple life cycles

Fitness = obtained as eigenvalue of a next-generation matrix

Next-generation matrix = (non-commutative) product of event matrices

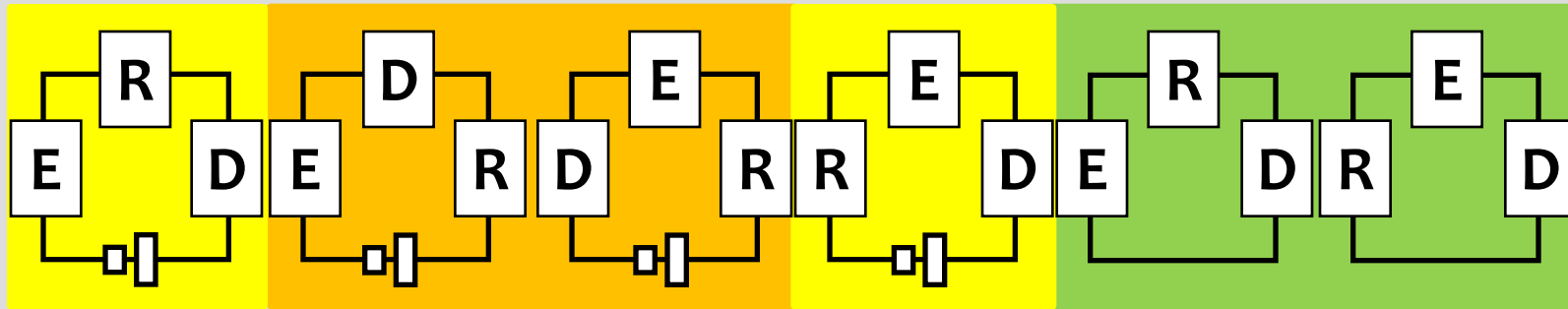
Cycle E,R,D,Regulation \Rightarrow matrix Regulation.D.R.E

Classification of life cycles

extended from Massol (2013)

When dispersal is unconditional

Order of events



Ravigné et al.'s classification

Ravigné type 3

Levene soft selection regime

Ravigné type 3

Dempster hard selection regime

Classes of equivalence for fitness correspond to Ravigné et al.'s

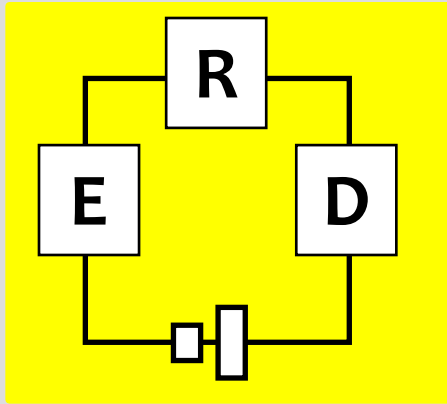
To the really interested audience:

- E always commutes with regulation.
- With unconditional dispersal, E also commutes with dispersal.

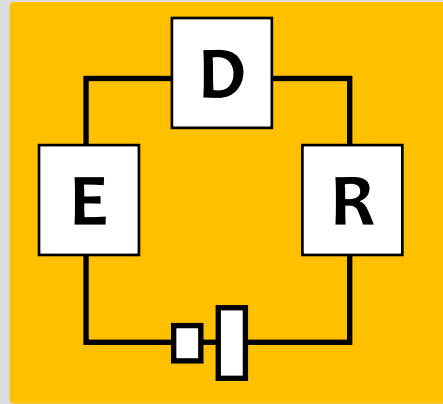
Evolution of dispersal

Massol & Débarre (2015)

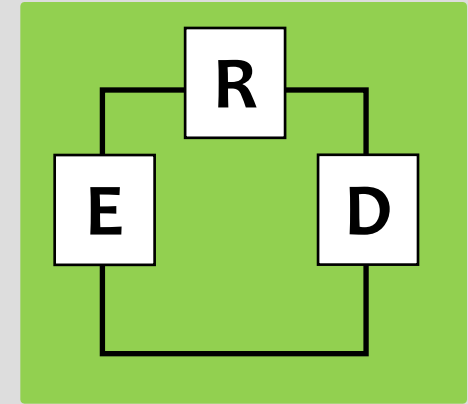
Order of events



Ravigné



Levene



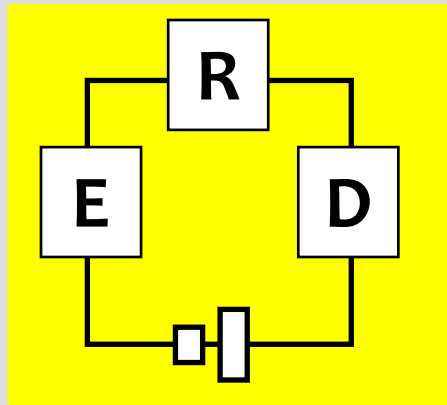
Dempster

Ravigné et al.'s classification

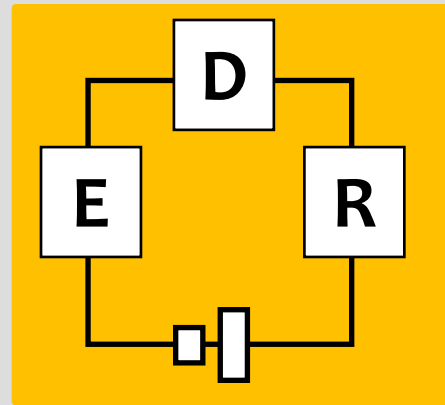
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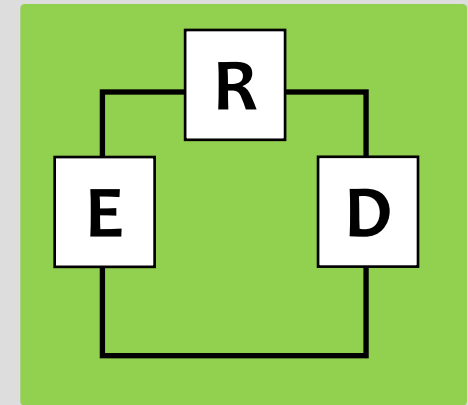
Order of events



Ravigné



Levene



Dempster

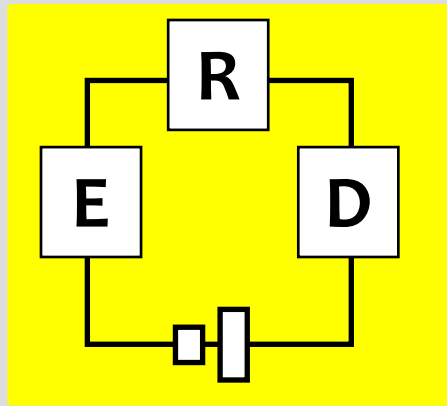
evolution towards
philopatry

Ravigné et al.'s
classification

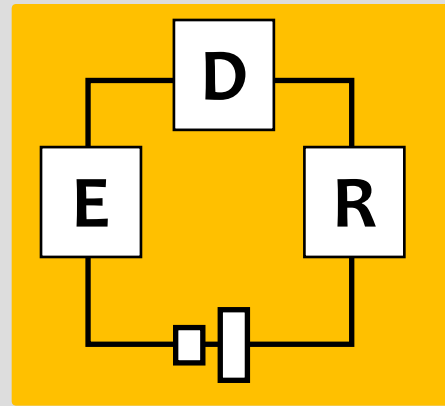
Evolution of dispersal

Massol & Débarre (2015)

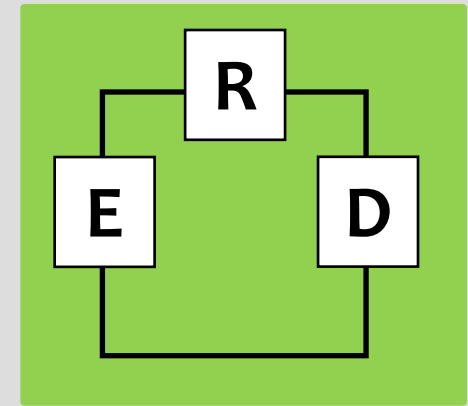
Order of events



Ravigné

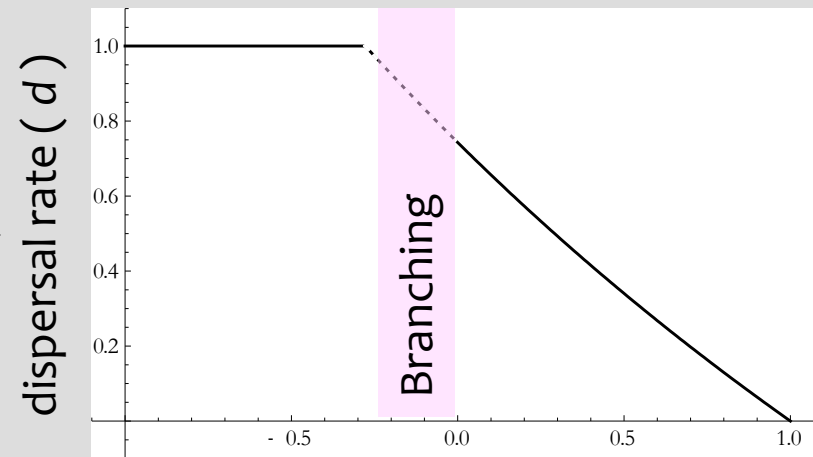
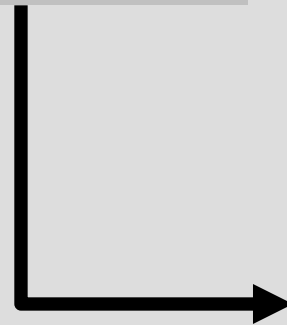


Levene



Dempster

Ravigné et al.'s classification

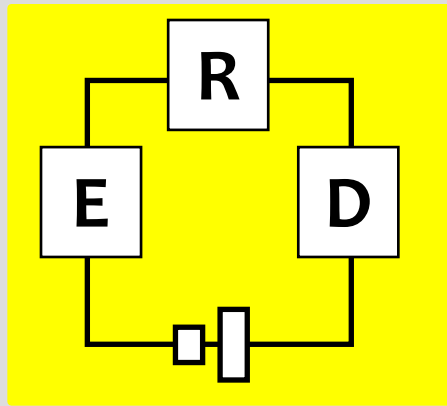


temporal autocorrelation in patch state (φ)

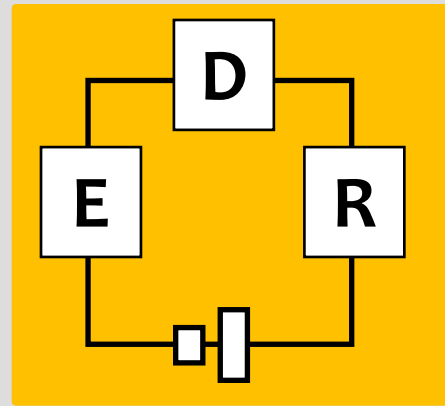
Evolution of dispersal

Massol & Débarre (2015)

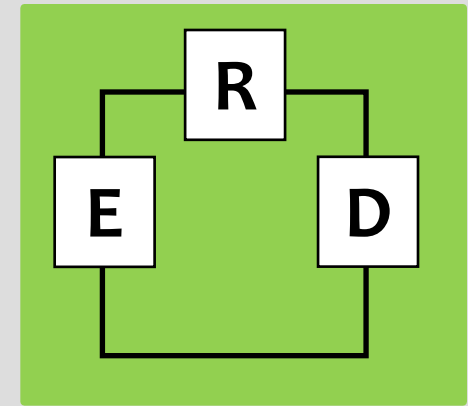
Order of events



Ravigné



Levene



Dempster

Ravigné et al.'s classification

Zero dispersal when

$$c > \frac{\gamma}{\gamma + \beta}$$

Total dispersal when

$$c < -\phi\gamma$$

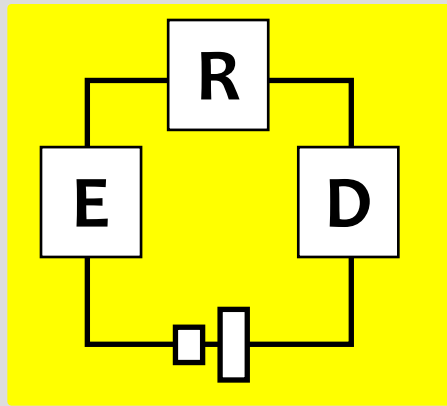
Branching when

$$\phi < 0$$

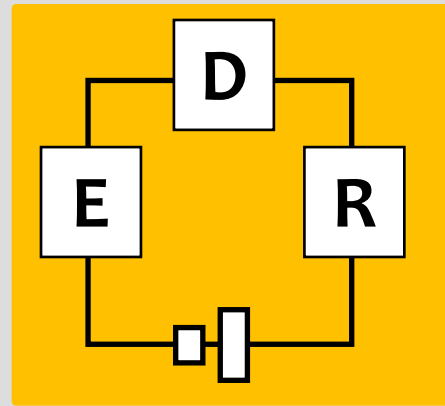
Evolution of dispersal

Massol & Débarre (2015)

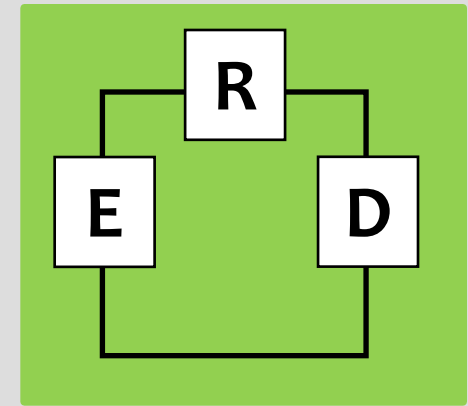
Order of events



Ravigné

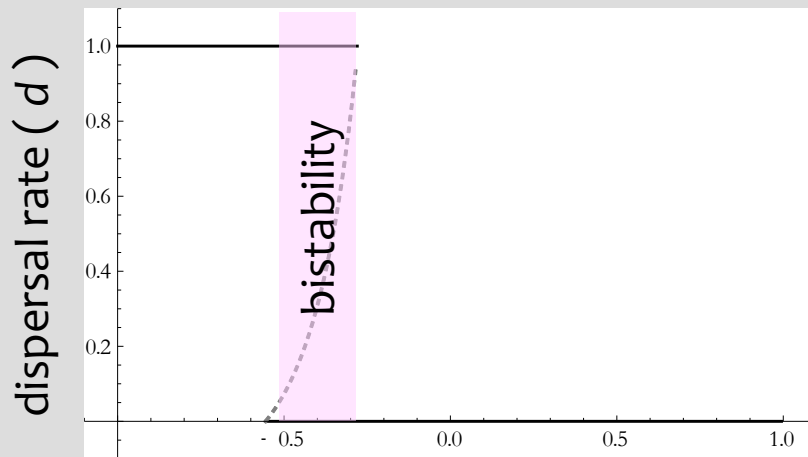


Levene



Dempster

Ravigné et al.'s classification



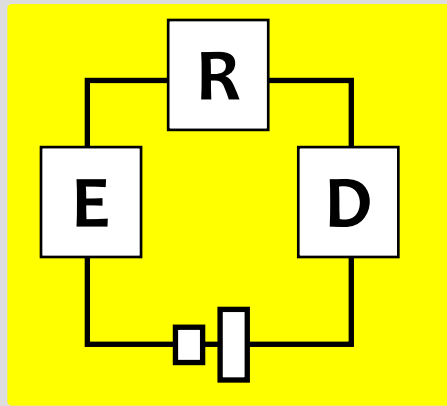
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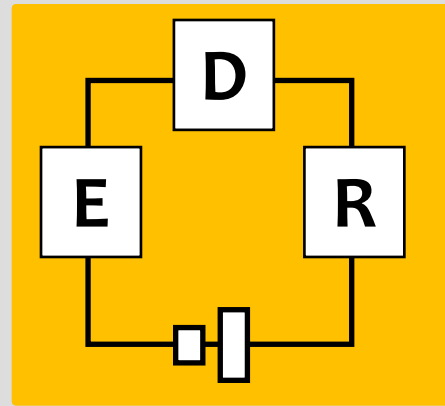
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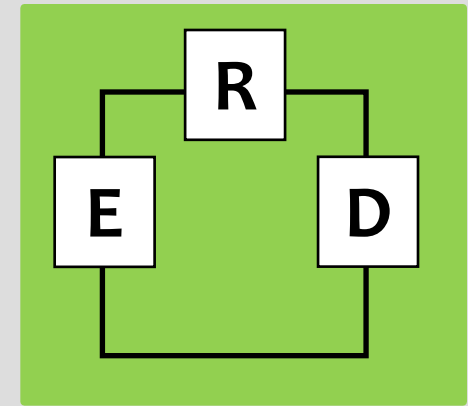
Order of events



Ravigné



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Dempster

Ravigné et al.'s classification

Zero dispersal when

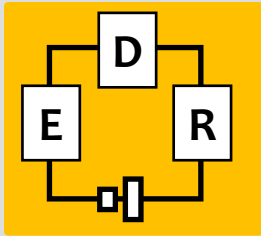
$$c > -\frac{[(\beta + \gamma)\varphi - 1]^2}{2\gamma} \left[\frac{1}{\varphi} + \sqrt{\frac{1}{\varphi^2} \left[1 + \frac{4\varphi\gamma}{[(\beta + \gamma)\varphi - 1]^2} \right]} \right]^{-1}$$

Total dispersal when

$$c < -\varphi\gamma$$

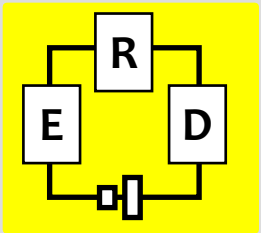
Conclusions

Massol & Débarre (2015)



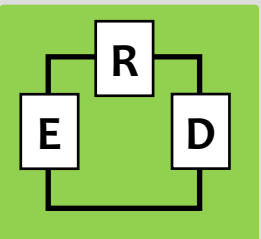
Levene

Evolution towards total philopatry



Ravigné

Intermediate dispersal rates are possible
Branching happens for negatively autocorrelated environments



Dempster

Either total philopatry or total dispersal
Bistability can happen

Final take-home messages

1. Environmental variability can affect the evolution of dispersal in a variety of ways, depending on what is variable, in time or in space
2. Disruptive selection on dispersal can happen when population densities are skewed or when juveniles disperse and patch quality is negatively autocorrelated in time

Perspectives

- Model 1: incorporating different types of cost; evolution of cost (mother vs. offspring)
- Merging both models (i.e. spatial variation in patch quality and population size)
- Model 2: evolution of conditional dispersal under different life cycles

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workshop @ T. Hovestadt’s lab



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